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Background

Over the past 30 years, fast fluorescence imaging of transmembrane potential has been shown to be a powerful tool for studying cardiac electrophysiology and arrhythmias [1]. It has been used to study patterns of electrical activation within cells, cell monolayers, and intact hearts [2]. It provides a number of advantages over traditional electrical mapping techniques such as higher spatial resolution, the ability to analyze action potential waveforms, and signals can be acquired without contamination of pacing spikes or defibrillation shocks. Fast potentiometric probes that span the cell membrane are used to transduce transmembrane potentials into fluoresced light (shown below).



A limitation of fast fluorescence imaging is that during contraction registration between the imaging device and the heart is lost. This results in a large motion artifact in the fluorescence signals. This artifact can be eliminated using pharmacological agents such as **blebbistatin**, which blocks cross-bridge cycling to inhibit contraction without interfering with electrical activity [3]. However, a goal of our current work is to study the interaction between metabolism and electrical activity.

Contraction and metabolism are intimately linked so our objective has been to develop an approach for applying fast fluorescence imaging to study arrhythmias in contracting hearts.

Experimental Setup



Motion Reduction Algorithm Applied to Fluorescent Signals from Rat Hearts using Multilevel Wavelet Analysis



$$\mathbf{x}(t) = \sum_{m=-\infty}^{\infty} a_{Mn}\phi_{Mn}(t) + \sum_{m=-\infty}^{M} d_{mn}\psi_{mn}(t)$$
$$a_{Mn} = \langle \phi_{Mn}, \mathbf{x} \rangle = \int_{-\infty}^{\infty} \phi_{Mn}(t)\mathbf{x}(t)dt$$
and
$$d_{mn} = \langle \psi_{mn}, \mathbf{x} \rangle = \int_{-\infty}^{\infty} \psi_{mn}(t)\mathbf{x}(t)dt$$

Wavelet approach

